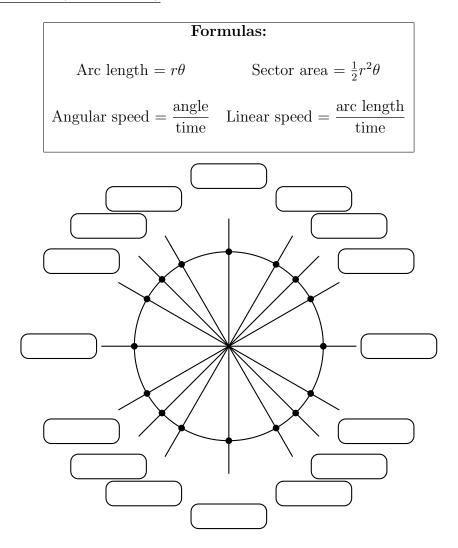
## Exam 2 - Chapter 8 (8.1-8.3)

Formulas (given on test)



## 8.1: Graphs of sine and cosine

- All sine and cosine curves are **periodic**
- The **parent graphs**  $y = \sin(x)$  and  $y = \cos(x)$  have a period of  $2\pi$
- Graph transformations of the form  $y = A \cdot \sin(Bx C) + D$  and

$$y = A \cdot \cos(Bx - C) + D$$
:

- The **amplitude** is |A|. Amplitude is always positive. If A is negative, the parent graph is flipped or reflected vertically
- The **period** is  $\frac{2\pi}{B}$ . (B will always be positive on the exam.)
- The **phase shift** is  $\frac{C}{B}$ . If C is positive, the shift is to the *left*. If C is negative, the shift is to the *right*.
- D is the vertical shift. The **midline** of the graphs is y = D.
- Graph a sine or cosine curve given an equation, or find an equation given a graph.
- List the amplitude, period, phase shift and vertical shift of a function given either a graph or an equation.
- Word problems involving sine or cosine curves.

## 8.2: Graphs of other trig functions

- The parent functions  $y = \tan(x)$  and  $y = \cot(x)$  have a period of  $\pi$ .
- The parent functions  $y = \sec(x)$  and  $y = \csc(x)$  have a period of  $2\pi$ .
- Graph the **parent functions**  $y = \tan(x)$ ,  $y = \cot(x)$ ,  $y = \csc(x)$ , and  $y = \sec(x)$
- Graph transformations of the form  $y = A \cdot \tan(Bx C) + D$ ,
  - $y = A \cdot \cot(Bx C) + D, \ y = A \cdot \sec(Bx C) + D$  and

$$y = A \cdot \csc(Bx - C) + D$$

- All of these graphs have **asymptotes**
- A gives the vertical stretch or compression. (A will always be positive on the exam for these graphs. Only sine and cosine graphs have an amplitude.)

- The **period** for tangent and cotangent graphs is  $\frac{\pi}{B}$ . The **period** for secant and cosecant graphs is  $\frac{2\pi}{B}$ . (B will always be positive on the exam.)

- The **phase shift** is  $\frac{C}{B}$ . If C is positive, the shift is to the *left*. If C is negative, the shift is to the *right*.
- -D is the vertical shift.
- Graph these trig functions given an equation, or find an equation given a graph.

## 8.3: Inverse trig functions

- For all trig functions, we must restrict the domain of the original function so it is one-to-one so we can define the inverse function.
- Know the domain and range of  $y = \sin^{-1}(x)$ ,  $y = \cos^{-1}(x)$  and  $y = \tan^{-1}(x)$ .
- Graph  $y = \tan^{-1}(x)$
- **Compose** trig functions and inverse trig functions using special angles or by drawing triangles
- IMPORTANT: Be careful composing  $\sin^{-1}(\sin(x))$ ,  $\cos^{-1}(\cos(x))$  and  $\tan^{-1}(\tan(x))$
- Inverse trig functions can help us find missing sides and angles in right triangles.

Suggested practice problems:

- Quiz 3
- Ch. 8 Review p. 690-691 #1-5, 8-10, 13-17, 19, 21-24, 27-37
- Ch. 8 Practice Test (from book) p. 692-693 #1-5, 7, 8, 10-12, 14-20, 23, 29, 30, 36-40, 46-49